

**EOL  
LAND DATA FORMAT  
RECORD DESCRIPTION  
126 characters**

EOL files are made of fixed-length ASCII records. Each record is separated into space-padded fields. When a field has no known value (for example, anomalies are not always provided), it contains only spaces.

<b>ISOURCE</b>	1-8	B.G.I. source number	(8 char.)
<b>LATI</b>	9-16	Latitude (unit : 10 <sup>-5</sup> degree)	(8 char.)
<b>LONGI</b>	17-25	Longitude (unit : 10 <sup>-5</sup> degree)	(9 char.)
<b>POSIAC</b>	26-27	Accuracy of position The site of the gravity measurements is defined in a circle of radius R 0 = no information 1 = R ≤ 5 m 2 = 5 < R ≤ 20 m (approximately 0'01) 3 = 20 < R ≤ 100 m 4 = 100 < R ≤ 200 m (approximately 0'1) 5 = 200 < R ≤ 500 m 6 = 500 < R ≤ 1000 m 7 = 1000 < R ≤ 2000 m (approximately 1') 8 = 2000 < R ≤ 5000 m 9 = 5000 m < R 10 ...	(2 char.)
<b>POSYSYS</b>	28-29	System of positioning 0 = no information 1 = topographical map 2 = trigonometric positioning 3 = satellite	(2 char.)
<b>OBSERTYP</b>	30	Type of observation 1 = current observation of detail or other observations of a 3 <sup>rd</sup> or 4 <sup>th</sup> order network 2 = observation of a 2 <sup>nd</sup> order national network 3 = observation of a 1 <sup>st</sup> order national network 4 = observation being part of a nation calibration line 5 = coastal ordinary observation (harbour, bay, seaside ...) 6 = harbour base station	(1 char.)
<b>ALTI</b>	31-38	Elevation of the station (unit : 10 <sup>-2</sup> m)	(8 char.)
<b>ALTITYP</b>	39-40	Elevation type 1 = Land 2 = Subsurface 3 = Lake surface (above sea level) 4 = Lake bottom (above sea level) 5 = Lake bottom (below sea level) 6 = Lake surface (above sea level with lake bottom below sea level) 7 = Lake surface (below sea level) 8 = Lake bottom (surface below sea level) 9 = Ice cap (bottom below sea level) 10 = Ice cap (bottom above sea level) 11 = Ice cap (no information about ice thickness)	(2 char.)

<b>ALTIAC</b>	41-42	Accuracy of elevation 0 = no information 1 = $E \leq 0.02$ m 2 = $.02 < E \leq 0.1$ m 3 = $.1 < E \leq 1$ 4 = $1 < E \leq 2$ 5 = $2 < E \leq 5$ 6 = $5 < E \leq 10$ 7 = $10 < E \leq 20$ 8 = $20 < E \leq 50$ 9 = $50 < E \leq 100$ 10 = $E > 100$ m	(2 char.)
<b>ALTIDET</b>	43-44	Determination of the elevation 0 = no information 1 = geometrical levelling (bench mark) 2 = barometrical levelling 3 = trigonometrical levelling 4 = data obtained from topographical map 5 = data directly appreciated from the mean sea level 6 = data measured by the depression of the horizon 7 = satellite	(2 char.)
<b>ALTISUP</b>	45-52	Supplemental elevation (unit : $10^{-2}$ m) if ALTITYP = 1, ALTISUP=0 if ALTITYP > 1 and ALTITYP $\leq$ 8, ALTISUP = lake depth if ALTITYP > 8, ALTISUP = ice width	(8 char.)
<b>GVALUE</b>	53-61	Observed gravity (unit : $10^{-3}$ mGal)	(9 char.)
<b>FREEAIR</b>	62-67	Free air anomaly (unit : $10^{-2}$ mGal)	(6 char.)
<b>BOUGUER</b>	68-73	Bouguer anomaly (unit : $10^{-2}$ mGal) Simple Bouguer anomaly with a mean density of 2670 kg/m <sup>3</sup> . No terrain correction	(6 char.)
<b>FREEAST</b>	74-76	Estimation standard deviation free-air anomaly (unit : 0.1 mGal)	(3 char.)
<b>BOUGST</b>	77-79	Estimation standard deviation bouguer anomaly (unit : 0.1 mGal)	(3 char.)
<b>TERCOR</b>	80-85	Terrain correction (unit : $10^{-2}$ mGal) computed according to the next mentioned radius & density	(6 char.)
<b>TERCORINF</b>	86-87	Information about terrain correction 0 = no topographic correction 1 = tc computed for a radius of 5 km (zone H) 2 = tc computed for a radius of 30 km (zone L) 3 = tc computed for a radius of 100 km (zone N) 4 = tc computed for a radius of 167 km (zone O2) 11 = tc computed from 1 km to 167 km 12 = tc computed from 2.5 km to 167 km 13 = tc computed from 5.2 km to 167 km 14 = tc (unknown radius) 15 = tc computed to zone M (22 km) 16 = tc computed to zone G 17 = tc computed to zone K (18.8 km) 25 = tc computed to 48.6 km on a curved Earth 26 = tc computed to 64. km on a curved Earth	(2 char.)
<b>DENSITY</b>	88-91	Density used for terrain correction (unit : $10^1$ kg/m <sup>3</sup> ; e.g. 267)	(4 char.)
<b>GACCU</b>	92-93	Accuracy of gravity 0 = no information 1 = $E \leq 0.01$ mGal	(2 char.)

- 2 = .01 < E <= 0.05 mGal
- 3 = .05 < E <= 0.1 mGal
- 4 = 0.1 < E <= 0.5 mGal
- 5 = 0.5 < E <= 1. mGal
- 6 = 1. < E <= 3. mGal
- 7 = 3. < E <= 5. mGal
- 8 = 5. < E <= 10 mGal
- 9 = 10. < E <= 15. mGal
- 10 = 15. < E <= 20. mGal
- 11 = 20. < E mGal

<b>GCOR</b>	94-99	Correction of observed gravity (unit : 10 <sup>-3</sup> mGal)	(6 char.)
<b>REFSTA</b>	100-105	Reference station This station is the base station (BGI number) to which the concerned station is referred.	(6 char.)
<b>APPARAT</b>	106-108	Apparatus used for the measurement of G 0.. no information 1.. pendulum apparatus before 1960 2.. latest pendulum apparatus (after 1960) 3.. gravimeters for ground measurements in which the variations of G are equilibrated or detected using the following methods : 30 = torsion balance (Thyssen ...) 31 = elastic rod 32 = bifilar system 34 = Boliden (Sweden) 4.. Metal spring gravimeters for ground measurements 41 = Frost 42 = Askania (GS-4-9-11-12), Graf 43 = Gulf, Hoyt (helical spring) 44 = North American 45 = Western 47 = Lacoste-Romberg 48 = Lacoste-Romberg, Model D (microgravimeter) 5.. Quartz spring gravimeter for ground measurements 51 = Norgaard 52 = GAE-3 53 = Worden ordinary 54 = Worden (additional thermostat) 55 = Worden worldwide 56 = Gak 57 = Canadian gravity meter, sharpe 58 = GAG-2 59 = SCINTREX CG2 6.. Gravimeters for under water measurements (at the bottom of the sea or of a lake) 60 = Gulf 62 = Western 63 = North American 64 = Lacoste-Romberg 9.. Absolute gravimeter 91 = JAEGER GA60	(3 char.)
<b>PAYS</b>	109-111	Country code (BGI)	(3 char.)
<b>CONFID</b>	112	Confidentiality 0 = no restriction 1 = with authorization 2 = classified	(1 char.)
<b>VALID</b>	113	Validity 0 = no validation	(1 char.)

1 = good  
2 = doubtful  
3 = lapsed

<b>NBORIGI</b>	114-120	Numbering of the station (original)	(7 char.)
<b>NBSEQ</b>	121-126	Sequence number	(6 char.)

**EOS  
SEA DATA FORMAT  
RECORD DESCRIPTION  
150 characters**

EOS files are made of fixed-length ASCII records similar to EOL records.

<b>ISOURCE</b>	1-8	B.G.I. source number	(8 char.)
<b>LATI</b>	9-16	Latitude (unit : $10^{-5}$ degree)	(8 char.)
<b>LONGI</b>	17-25	Longitude (unit : $10^{-5}$ degree)	(9 char.)
<b>POSIAC</b>	26-27	Accuracy of position The site of the gravity measurements is defined in a circle of radius R 0 = no information 1 = $R \leq 5$ m 2 = $5 < R \leq 20$ m (approximately 0'01) 3 = $20 < R \leq 100$ m 4 = $100 < R \leq 200$ m (approximately 0'1) 5 = $200 < R \leq 500$ m 6 = $500 < R \leq 1000$ m 7 = $1000 < R \leq 2000$ m (approximately 1') 8 = $2000 < R \leq 5000$ m 9 = $5000 \text{ m} < R$ 10 ...	(2 char.)
<b>POSYSYS</b>	28-29	System of positioning 0 = no information 1 = Decca 2 = visual observation 3 = radar 4 = loran A 5 = loran C 6 = omega or VLF 7 = satellite 8 = solar/stellar (with sextant) 9 = GPS 10 = Kinematic navigation 11 = ARGOS	(2 char.)
<b>OBSERTYP</b>	30	Type of observation 1 = individual observation at sea 2 = mean observation at sea obtained from a continuous recording	(1 char.)
<b>ALTI</b>	31-38	Elevation of the station (unit : $10^{-2}$ m)	(8 char.)
<b>ALTITYP</b>	39-40	Elevation type 1 = ocean surface 2 = ocean submerged 3 = ocean bottom	(2 char.)
<b>ALTIAC</b>	41-42	Accuracy of elevation 0 = no information 1 = $E \leq 0.02$ m 2 = $.02 < E \leq 0.1$ m	(2 char.)

3 =  $.1 < E \leq 1$   
 4 =  $1 < E \leq 2$   
 5 =  $2 < E \leq 5$   
 6 =  $5 < E \leq 10$   
 7 =  $10 < E \leq 20$   
 8 =  $20 < E \leq 50$   
 9 =  $50 < E \leq 100$   
 10 =  $E > 100$  m

<b>ALTIDET</b>	43-44	Determination of the elevation 0 = no information 1 = depth obtained with a cable (meters) 2 = manometer depth 3 = corrected acoustic depth (corrected from Mathew's tables, 1939) 4 = acoustic depth with correction obtained with sound speed 1500 M/sec. (or 820 fathom/s) 5 = acoustic depth obtained with sound speed 1463 m/s (800 fathom/s) 6 = depth interpolated on a magnetic record 7 = depth interpolated on a chart	(2 char.)
<b>ALTISUP</b>	45-52	Supplemental elevation (unit : $10^{-2}$ m)	(8 char.)
<b>GVALUE</b>	53-61	Observed gravity (unit : $10^{-3}$ mGal)	(9 char.)
<b>FREEAIR</b>	62-67	Free air anomaly (unit : $10^{-2}$ mGal)	(6 char.)
<b>BOUGUER</b>	68-73	Bouguer anomaly (unit : $10^{-2}$ mGal) Simple Bouguer anomaly with a mean density of 2670 kg/m <sup>3</sup> . No terrain correction	(6 char.)
<b>FREEAST</b>	74-76	Estimation standard deviation free-air anomaly (unit : 0.1 mGal)	(3 char.)
<b>BOUGST</b>	77-79	Estimation standard deviation bouguer anomaly (unit : 0.1 mGal)	(3 char.)
<b>TERCOR</b>	80-85	Terrain correction (unit : $10^{-2}$ mGal) computed according to the next mentioned radius & density	(6 char.)
<b>TERCORINF</b>	86-87	Information about terrain correction 0 = no topographic correction 1 = tc computed for a radius of 5 km (zone H) 2 = tc computed for a radius of 30 km (zone L) 3 = tc computed for a radius of 100 km (zone N) 4 = tc computed for a radius of 167 km (zone O2) 11 = tc computed from 1 km to 167 km 12 = tc computed from 2.5 km to 167 km 13 = tc computed from 5.2 km to 167 km 14 = tc (unknown radius) 15 = tc computed to zone M (22 km) 16 = tc computed to zone G 17 = tc computed to zone K (18.8 km) 25 = tc computed to 48.6 km on a curved Earth 26 = tc computed to 64. km on a curved Earth	(2 char.)
<b>DENSITY</b>	88-91	Density used for terrain correction (unit : $10^1$ kg/m <sup>3</sup> ; e.g. 267)	(4 char.)
<b>MATHZONE</b>	92-93	Mathew's zone When the depth is not corrected depth, this information is necessary. For example : zone 50 for the Eastern Mediterranean Sea.	(2 char.)
<b>GACCU</b>	94-95	Accuracy of gravity 0 = no information 1 = $E \leq 0.01$ mGal 2 = $.01 < E \leq 0.05$ mGal 3 = $.05 < E \leq 0.1$ mGal 4 = $0.1 < E \leq 0.5$ mGal	(2 char.)

5 = 0.5 < E <= 1. mGal  
 6 = 1. < E <= 3. mGal  
 7 = 3. < E <= 5. mGal  
 8 = 5. < E <= 10 mGal  
 9 = 10. < E <= 15. mGal  
 10 = 15. < E <= 20. mGal  
 11 = 20. < E mGal

<b>GCOR</b>	96-101	Correction of observed gravity (unit : 10 <sup>-3</sup> mGal)	(6 char.)
<b>JDATE</b>	102-110	Date of observation In Julian day (unit : 1/10 000 of day) - 2 400 000	(9 char.)
<b>VELOCY</b>	111-113	Velocity of the ship (unit : 0.1 knot)	(3 char.)
<b>EOTVOS</b>	114-118	Eötvös correction (unit : 0.1 mGal)	(5 char.)
<b>PAYS</b>	119-121	Country code (BGI)	(3 char.)
<b>CONFID</b>	122	Confidentiality 0 = no restriction 1 = with authorization 2 = classified	(1 char.)
<b>VALID</b>	123	Validity 0 = no validation 1 = good 2 = doubtful 3 = lapsed	(1 char.)
<b>NBORIGI</b>	124-130	Numbering of the station (original)	(7 char.)
<b>NBSEQ</b>	131-136	Sequence number	(6 char.)
<b>NBLEG</b>	137-139	Leg number	(3 char.)
<b>REFSTA</b>	140-145	Reference station	(6 char.)
<b>NUMDEG</b>	146-150		(5 char.)

Whenever given, the theoretical gravity ( $\gamma_0$ ), free-air anomaly (FA), Bouguer anomaly (BO) are computed in the 1967 geodetic reference system.

The approximation of the closed form of the 1967 gravity formula is used for theoretical gravity at sea level :

$$\gamma_0 = 978031.85 * [1 + 0.005278895 * \sin^2 \Phi + 0.000023462 \sin^4 \Phi] \text{ mGal}$$

where  $\Phi$  is the geographic latitude.

*The formulas used in computing FA and BO are summarized in the next pages.*

## Formulas used in computing free-air and Bouguer anomalies

Symbols used :

- $g$  : observed value of gravity  
 $\gamma$  : theoretical value of gravity (on the ellipsoid)  
 $\Gamma$  : vertical gradient of gravity (approximated by 0.3086 mGal/m)  
 $H$  : elevation of the physical surface of the land, lake or glacier ( $H = 0$  at sea surface), positive upward  
 $D_1$  : depth of water, or ice, positive downward  
 $D_2$  : depth of a gravimeter measuring in a mine, in a lake, or in an ocean, counted from the surface, positive downward  
 $G$  : gravitational constant ( $667.2 \cdot 10^{-13} \text{ m}^3 \text{ kg}^{-1} \text{ s}^{-2}$ )  $\Rightarrow k = 2 \pi G$   
 $\rho_c$  : mean density of the Earth's crust (taken as  $2670 \text{ kg m}^{-3}$ )  
 $\rho_w^f$  : density of fresh water ( $1000 \text{ kg m}^{-3}$ )  
 $\rho_w^s$  : density of salted water ( $1027 \text{ kg m}^{-3}$ )  
 $\rho_i$  : density of ice ( $917 \text{ kg m}^{-3}$ )  
 $FA$  : free-air anomaly  
 $BO$  : Bouguer anomaly

Formulas :

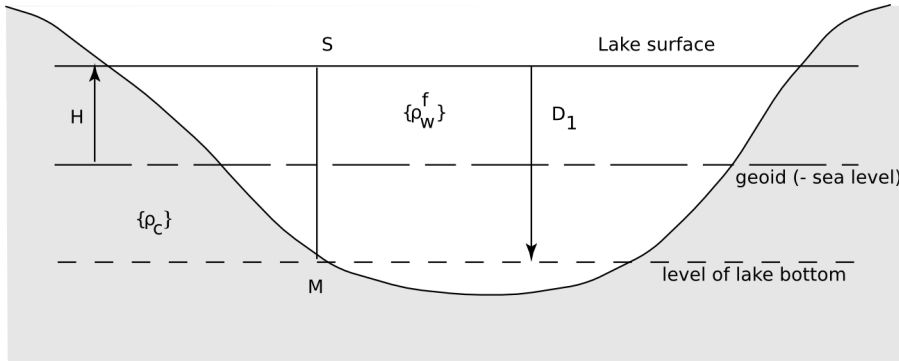
- \*  $FA$  : The principle is to compare the gravity of the Earth at its surface with the normal gravity, which first requires in some cases to derive the surface value from the measured value. Then, and until now,  $FA$  is the difference between this Earth's gravity value reduced to the geoid and the normal gravity  $\gamma_0$  computed on the reference ellipsoid (classical concept). The more modern concept\* in which the gravity anomaly is the difference between the gravity at the surface point and the normal (ellipsoidal) gravity on the telluroid corresponding point may be adopted in the future depending on other major changes in the BGI data base and data management system.
- \*  $BO$  : The basic principle is to remove from the surface gravity the gravitational attraction of one (or several) infinite plate(s) with density depending on where the plate is with respect to the geoid. The conventional computation of  $BO$  assumes that parts below the geoid are to be filled with crustal material of density  $\rho_c$  and that the parts above the geoid have the density of the existing material (which is removed).

For example, if a measurement  $g_M$  is taken at the bottom of a lake, with the bottom being below sea level, we have :

---

\* cf. "On the definition and numerical computation of free air gravity anomalies", by H.G. Wenzel. Bulletin d'Information, BGI, n° 64, pp. 23-40, June 1989.





$$g_s = g_M + 2k \rho_w^f D_1 - \Gamma D_1$$

$$FA = g_s + \Gamma H - \gamma_0$$

Removing the (actual or virtual) topographic masses as said above, we find :

$$\begin{aligned} \delta g_s &= g_s - k \rho_w^f D_1 + k \rho_c (D_1 - H) \\ &= g_s - k \rho_w^f [H + (D_1 - H)] + k \rho_c (D_1 - H) \\ &= g_s - k \rho_w^f H + k (\rho_c - \rho_w^f) (D_1 - H) \end{aligned}$$

$$BO = \delta g_s + \Gamma H - \gamma_0$$

The table below covers the most frequent cases. It is an update of the list of formulas published before.

It may be noted that, although some formulas look different, they give the same results. For instance BO (9) and BO (10) are identical since :

$$\begin{aligned} -k \rho_{iH} + k (\rho_c - \rho_i) (D_1 - H) &\equiv -k \rho_i (H - D_1 + D_1) - k (\rho_c - \rho_i) (H - D_1) \\ &\equiv -k \rho_i D_1 - k \rho_c (H - D_1) \end{aligned}$$

Similarly, BO (3), BO (4) and BO (5) are identical.

<b>Elev. Type</b>	<b>Situation</b>	<b>Formulas</b>
<b>EOL land data format</b>		
1	Land Observation-surface	$FA = g + \Gamma H - \gamma_o$ $BO = FA - k \rho_c H$
2	Land Observation-subsurface	$FA = g + 2 k \rho_c D_2 + \Gamma (H - D_2) - \gamma_o$ $BO = FA - k \rho_c H$
3	Lake surface above sea level with bottom above sea level	$FA = g + \Gamma H - \gamma_o$ $BO = FA - k \rho_w^f D_1 - k \rho_c (H - D_1)$
4	Lake bottom, above sea level	$FA = g + 2 k \rho_w^f D_1 + \Gamma (H - D_1) - \gamma_o$ $BO = FA - k \rho_w^f D_1 - k \rho_c (H - D_1)$
5	Lake bottom, below sea level	$FA = g + 2 k \rho_w^f D_1 + \Gamma (H - D_1) - \gamma_o$ $BO = FA - k \rho_w^f H + k (\rho_c - \rho_w^s) (D_1 - H)$
6	Lake surface above sea level with bottom below sea level	$FA = g + \Gamma H - \gamma_o$ $BO = FA - k \rho_w^f H + k (\rho_c - \rho_w^s) (D_1 - H)$
7	Lake surface, below sea level (here $H < 0$ )	$FA = g + \Gamma H - \gamma_o$ $BO = FA - k \rho_c H + k (\rho_c - \rho_w^f) D_1$
8	Lake bottom, with surface below sea level ( $H < 0$ )	$FA = g + (2 k \rho_w^f - \Gamma) D_1 + \Gamma H - \gamma_o$ $BO = FA - k \rho_c H + k (\rho_c - \rho_w^f) D_1$
9	Ice cap surface, with bottom below sea level	$FA = g + \Gamma H - \gamma_o$ $BO = FA - k \rho_i H + k (\rho_c - \rho_i) (D_1 - H)$
10	Ice cap surface, with bottom above sea level	$FA = g + \Gamma H - \gamma_o$ $BO = FA - k \rho_i D_1 - k \rho_c (H - D_1)$
<b>EOS sea data format</b>		
1	Ocean Surface	$FA = g - \gamma_o$ $BO = FA + k (\rho_c - \rho_w^s) D_1$
2	Ocean submerged	$FA = g + (2 k \rho_w^s - \Gamma) D_2 - \gamma_o$ $BO = FA + k (\rho_c - \rho_w^s) D_1$
3	Ocean bottom	$FA = g + (2 k \rho_w^s - \Gamma) D_1 - \gamma_o$ $BO = FA + k (\rho_c - \rho_w^s) D_1$